

Heery's Zen Notes

Physics KSSM F4 2021

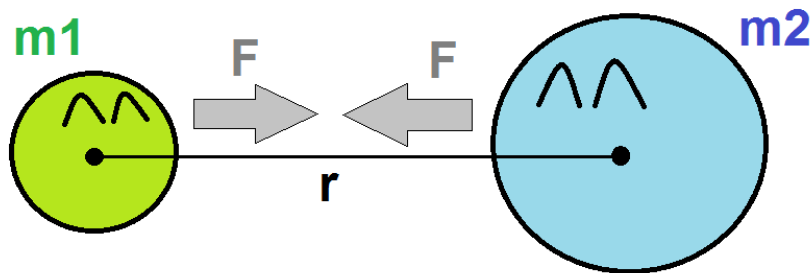


Chapter 3: **KEGRAVITIAN – BAH.1** ***(GRAVITATION – PART 1)***

By: Cikgu Heery

A. HUKUM KEGRAVITIAN SEMESTA NEWTON (NEWTON'S UNIVERSAL LAW OF GRAVITATION)

1. Untuk 2 jasad di angkasa, daya graviti, F (For 2 bodies in space, gravitational force, F)



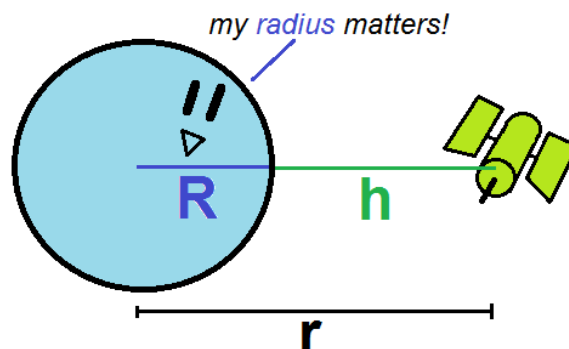
$$F = \frac{G m_1 m_2}{r^2}$$

2. Hukum mengatakan bahawa (The law stated that):


Daya adalah berkadar terus dgn hasil darab jisim jasad
Force is directly proportional with the product of bodies' mass

Daya adalah berkadar songsang dgn kuasa dua jarak jasad
Force is inversely proportional to the square two distance

3. Jgn lupa! Jarak r hendaklah mengambil kira jejari jasad (R) (Don't forget! Distance r should include the radius of body (R))



CONTOH SOALAN 1:

	<p>Kira daya graviti yg bertindak ke atas satelit pada altitud 20,000 km <i>Calculate the gravitational force exerted on satellite at altitude 20,000 km</i></p>
<p>Jisim satelit, $m = 8000\text{kg}$ Jisim Bumi, $M = 5.9 \times 10^{24} \text{ kg}$ Jejari Bumi, $R = 6.37 \times 10^6 \text{ m}$ $G = 6.67 \times 10^{-11} \text{ Nm}^2\text{kg}^{-2}$</p> <p>Dlm pengiraan, pastikan semua guna unit SI! <i>(In calculation, make sure all use SI unit!)</i></p>	<p>Altitud 20,000km $\rightarrow 20 \times 10^6\text{m}$</p> $F = \frac{GMm}{(R + h)^2}$ $= \frac{6.67 \times 10^{-11} \times 5.9 \times 10^{24} \times 8000}{(6.37 \times 10^6 + 20 \times 10^6)^2}$ $= 4527 \text{ N}$

4. Bagaimana pula dgn pecutan graviti, g?/ How about gravity acceleration, g?

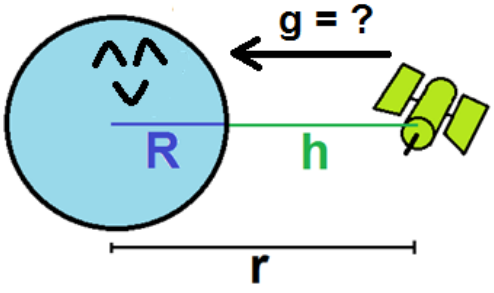
$F = \frac{GMm}{r^2}$ <p style="text-align: center;">↓</p> $mg = \frac{GMm}{r^2}$ $mg = \frac{GMm}{r^2}$	$g = \frac{GM}{r^2}$ <div style="border: 1px solid blue; padding: 5px; margin: 10px auto; width: fit-content;"> $g = \frac{GM}{r^2}$ </div>
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Kesimpulannya/ In conclusion:

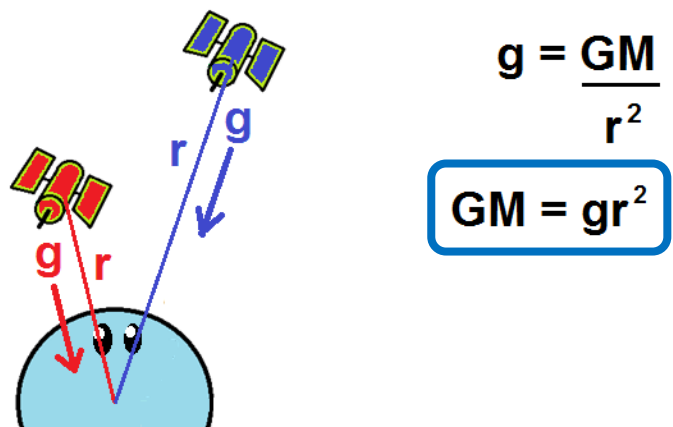
Pecutan graviti, g pada satu objek yg pada jasad dgn jisim M adalah berkadar songsang dgn kuasa dua jarak mereka

Gravitational acceleration, g of an object which on a body with mass M is inversely proportional to the square two of distance

Jom tengok [contoh soalan 2](#) / Let's observe this [question example 2](#):

 <p>Jisim satelit, $m = 8000\text{kg}$ Jisim Bumi, $M = 5.9 \times 10^{24} \text{ kg}$ Jejari Bumi, $R = 6.37 \times 10^6 \text{ m}$ $G = 6.67 \times 10^{-11} \text{ Nm}^2\text{kg}^{-2}$</p>	<p>Kira pecutan graviti yg bertindak ke atas satelit pada altitud 20,000 km <i>Calculate the gravity acceleration exerted on satellite at altitude 20,000 km</i></p> $g = \frac{GM}{(R + h)^2}$ $= \frac{6.67 \times 10^{-11} \times 5.9 \times 10^{24}}{(6.37 \times 10^6 + 20 \times 10^6)^2}$ $= 0.57 \text{ms}^{-2}$
<p>Nilai pecutan g 0.57ms^{-2} adalah rendah krn satelit <u>jauh drpd Bumi</u> <i>Acceleration value 0.57ms^{-2} is low because satellite is <u>far from Earth</u></i></p>	

5. Untuk bandingkan g pada ketinggian berbeza, kita boleh guna formula GM (To compare g at different height, we use GM formula)




Objek mempunyai GM yg sama pada altitud berbeza, maka
 (Objects have the same GM at different altitude, so)

$$GM = GM$$

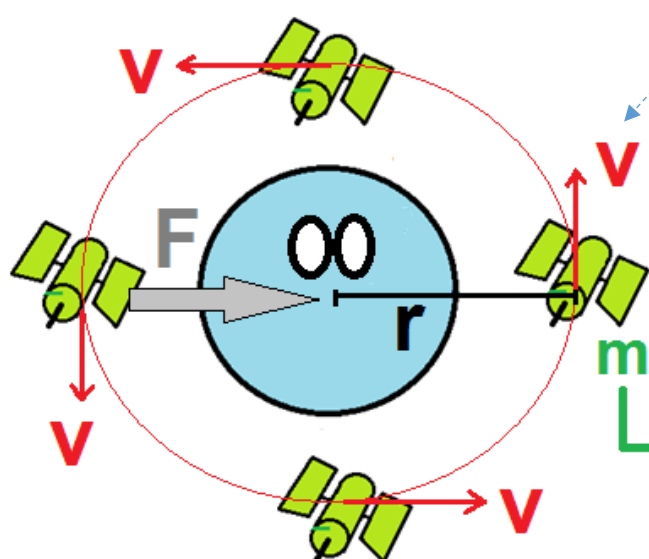
$$gr^2 = gr^2$$

CONTOH SOALAN 3:

 <p>Jejari Bumi, R = 6.37×10^6 m</p>	<p>Satelit pada altitud 15,000km mempunyai nilai g 3ms^{-2}. Satelit menuruni altitud sebanyak 5000km. Kirakan nilai g yg baru</p> <p><i>Satellite at 10,000km altitude has g value of 3ms^{-2}. Satellite conducts 5000km descent. Calculate its new g.</i></p>
	<p>Altitud baru = 15,000km – 5000km = 10,000km</p> $gr^2 = gr^2$ $g (R+h)^2 = g (R+h)^2$ $3 (6.37 \times 10^6 + 15 \times 10^6)^2 = g (6.37 \times 10^6 + 10 \times 10^6)^2$ $g = 5.11\text{ms}^{-2}$

6. Jika objek mengorbit jasad pada **halaju linear seragam v** , kita boleh guna **daya memusat, F**

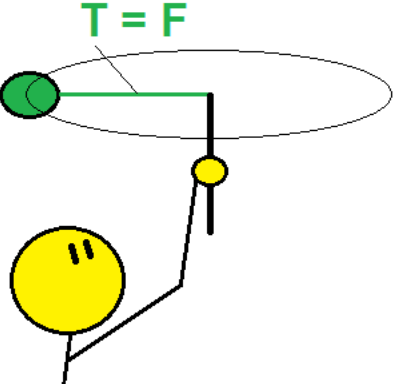
*(If object is orbiting a body at **constant linear velocity v** , we can use **centripetal force, F**)*



$$F = \frac{mv^2}{r}$$

jisim objek yg mengorbit/
mass of orbiting object

7. Eksperimen utk mengkaji daya memusat/ *Exp. to study the centripetal force:*

	<p>Ketegangan tali T = Daya memusat F <i>(Rope tension T = Centripetal force F)</i></p> $F = \frac{mv^2}{r}$
<p>Semakin besar ketegangan tali T, semakin laju bola bergerak v (apabila jisim bola m & panjang tali r adalah malar)</p> <p><i>The larger the rope tension T, the faster the ball moving v (when ball mass m & rope length r are constant)</i></p>	

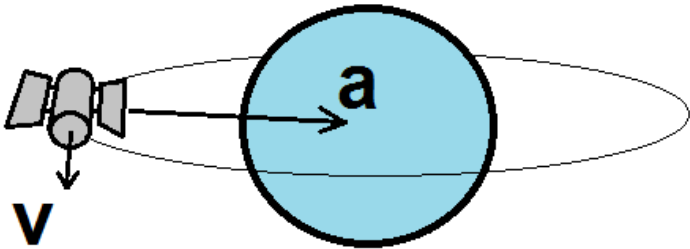
8. Bagaimana pula dgn pecutan memusat, a ?/ *How about centripetal acceleration, a ?*

$F = \frac{mv^2}{r}$ $ma = \frac{mv^2}{r}$	$ma = \frac{mv^2}{r}$ $a = \frac{v^2}{r}$
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CONTOH SOALAN 4:

Satu satelit mengorbit Bumi dengan pecutan memusat $a = 4\text{ms}^{-2}$ dan halaju linear $v = 7000\text{ms}^{-1}$. Kirakan altitud satelit tersebut

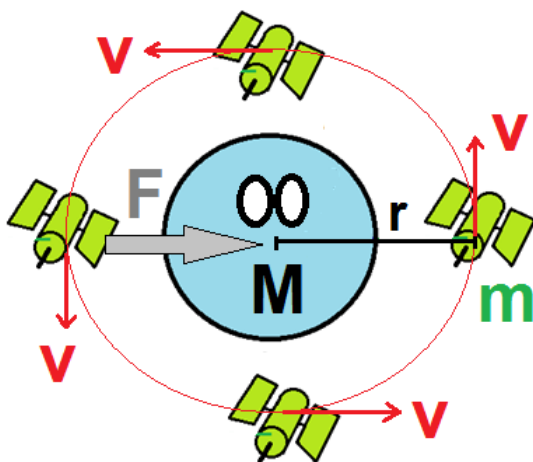
A satellite orbiting the Earth with centripetal acceleration $a = 4\text{ms}^{-2}$ and linear velocity $v = 7000\text{ms}^{-1}$. Calculate its altitude.



$a = \frac{v^2}{r}$ $4 = \frac{7000^2}{r}$ $r = 1.225 \times 10^7 \text{m}$	Altitude, h $r = R + h$ $h = r - R$ $= (1.225 \times 10^7 \text{m}) - (6.37 \times 10^6 \text{m})$ $= 5.88 \times 10^6 \text{m}$
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9. Utk mengkaji hubungan antara **halaju linear v** dan jarak r, kita boleh gabungkan formula daya graviti dan daya memusat

(To find out the relationship between **linear velocity v** and distance r, we can combine gravitational force and centripetal force formula)



Gravity force = Centripetal force

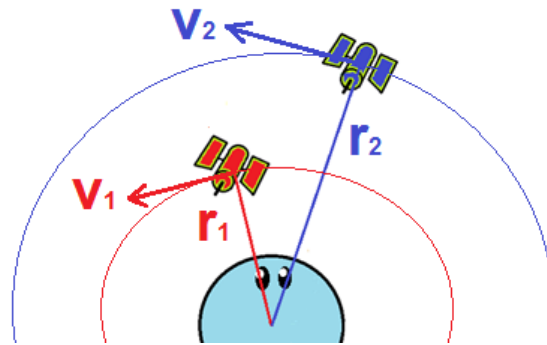
$$\frac{GMm}{r^2} = \frac{mv^2}{r}$$

$$\frac{GM\cancel{m}}{r^{\cancel{2}}} = \frac{\cancel{m}v^2}{\cancel{r}}$$

$$GM = v^2 r$$

*Guna $GM=v^2r$ utk bandingkan **halaju linear v** pada altitud berbeza
 *Use $GM=v^2r$ to compare **linear velocity v** at different altitude

CONTOH SOALAN 5:



Satelit pada altitud 408km mengorbit Bumi pada halaju linear 7000ms⁻¹. Jika satelit tersebut berada pada altitud 1000km, kirakan halaju linear yg baru

A satellite at altitude 408km orbiting the Earth at linear velocity of 7000ms⁻¹. If the satellite is at altitude 1000km, calculate its new linear velocity

Tidak kira altitud atau halaju linear, objek masih mempunyai GM sama
Regardless of altitude or linear velocity, object still has the same GM

$$GM = GM$$

$$v^2 r = v^2 r$$

$$7000^2 \times (R + 4.08 \times 10^5) = v^2 \times (R + 1 \times 10^6)$$

$$7000^2 \times (6.37 \times 10^6 + 4.08 \times 10^5) = v^2 \times (6.37 \times 10^6 + 1 \times 10^6)$$

$$V = 6712 \text{ms}^{-1}$$

Kesimpulan/ Conclusion:

Guna **GM = gr²** utk bandingkan pecutan graviti pd ketinggian berbeza
Use **GM = gr²** to compare gravity acceleration at different height/altitude

Guna **GM = v²r** utk bandingkan halaju linear v pada altitud berbeza
Use **GM = v²r** to compare linear velocity at different height/ altitude